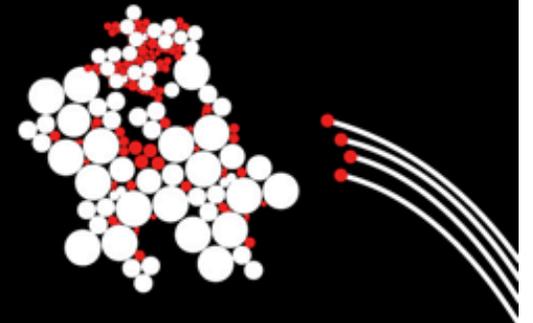


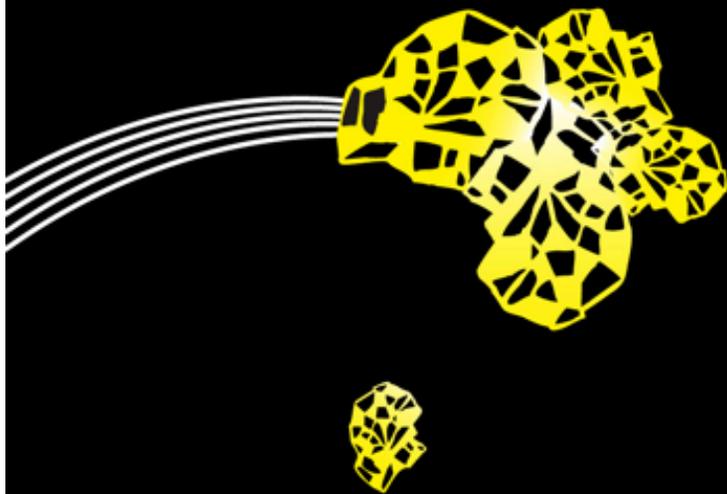
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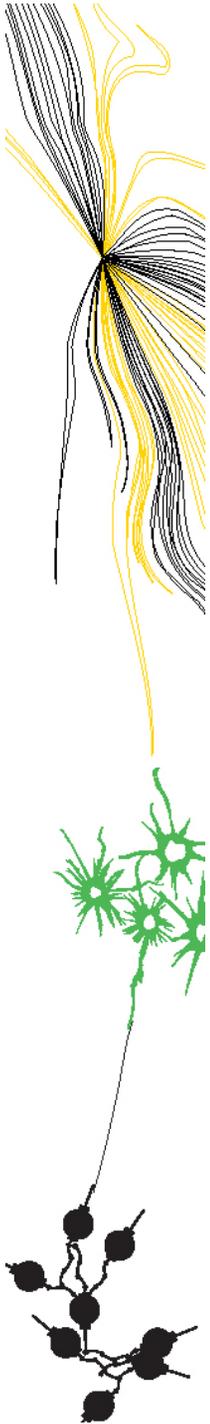


HANDLING UNCERTAINTY IN INFORMATION EXTRACTION

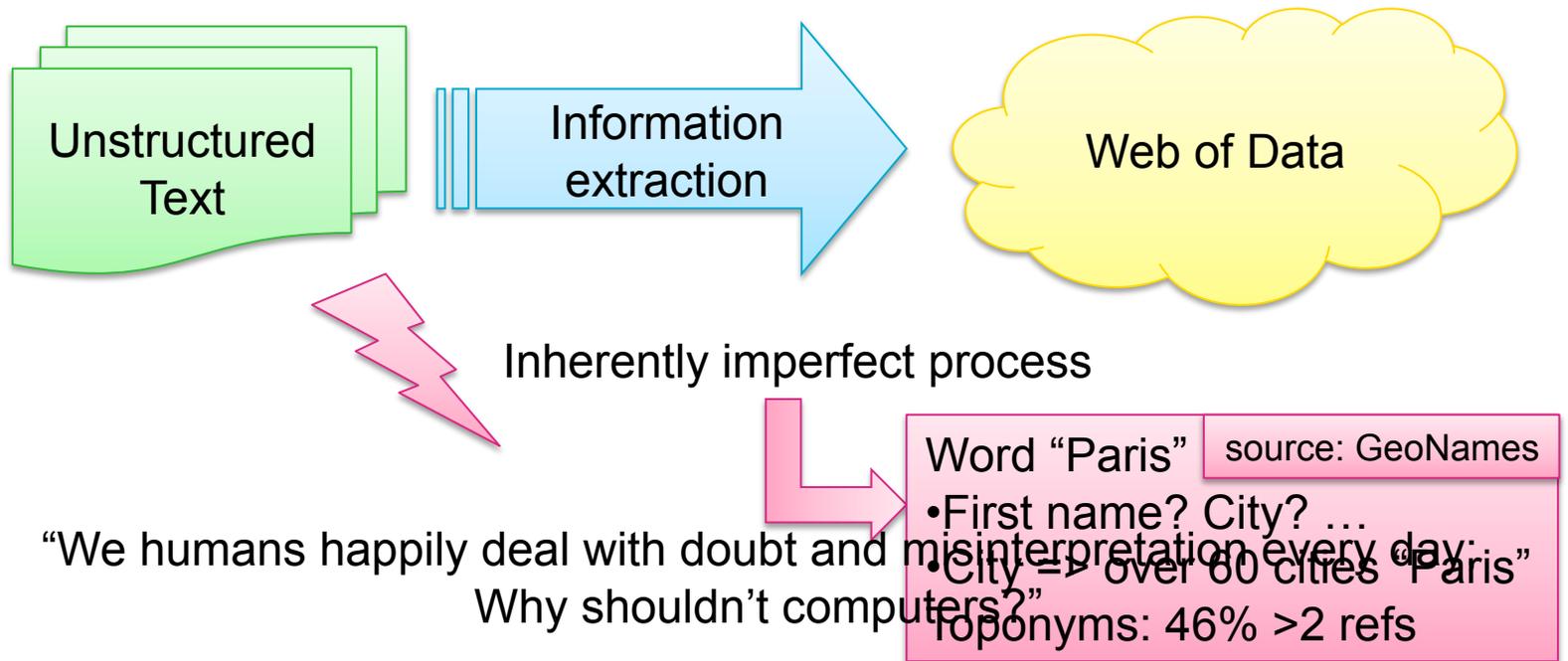
Maurice van Keulen and Mena Badieh Habib

URSW
23 Oct 2011

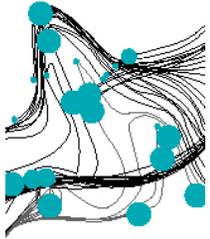




INFORMATION EXTRACTION



Goal: Technology to support the development of domain specific information extractors



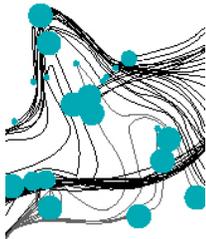
SHERLOCK HOLMES-STYLE INFORMATION EXTRACTION

“when you have eliminated the impossible, whatever remains, however improbable, must be the truth”

Information extraction is about gathering enough evidence to decide upon a certain combination of annotations among many possible ones
Evidence comes from ML + developer (generic) + end user (instances)

- **Annotations are uncertain**
Maintain alternatives + probabilities throughout process (incl. result)
- **Unconventional starting point**
Not “no annotations”, but “no knowledge, hence anything is possible”
- Developer **interactively** defines information extractor until “**good enough**”
Iterations: Add knowledge, apply to sample texts, evaluate result
- **Scalability** for storage, querying, manipulation of annotations
From my own field (databases): Probabilistic databases?





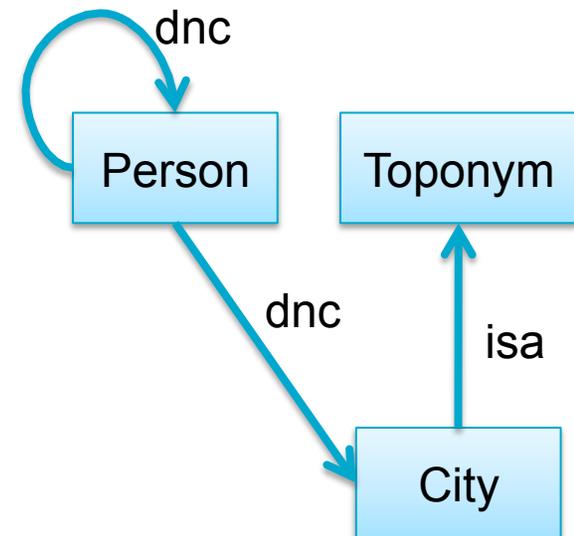
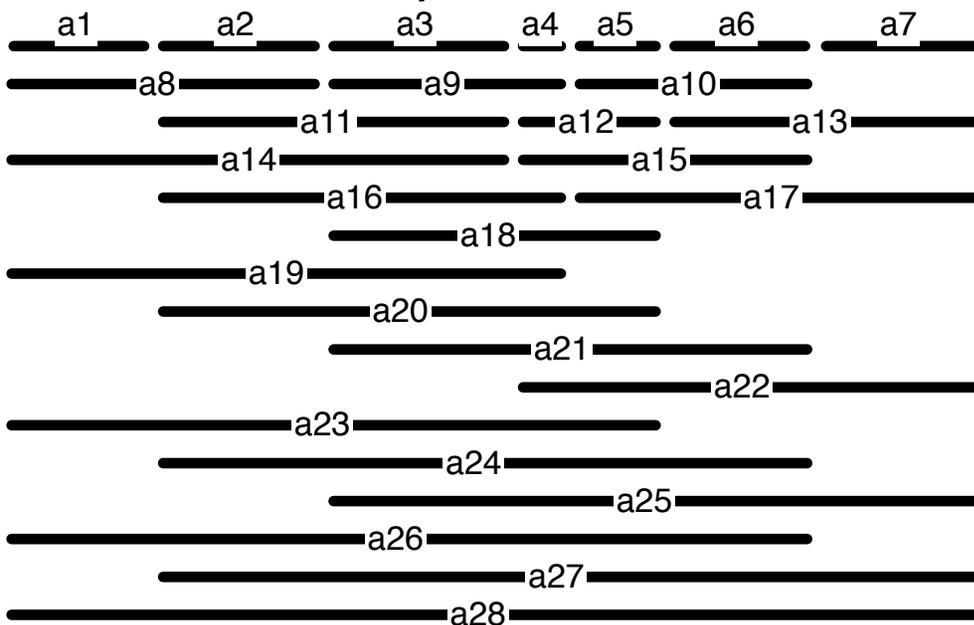
SHERLOCK HOLMES-STYLE INFORMATION EXTRACTION

EXAMPLE: NAMED ENTITY RECOGNITION (NER)

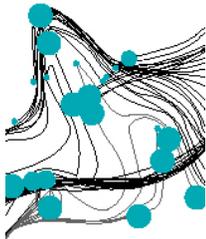
“when you have eliminated the impossible, whatever remains, however improbable, must be the truth”



Paris Hilton stayed in the Paris Hilton



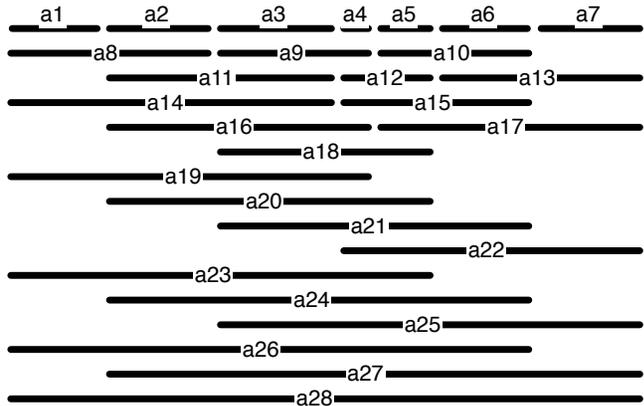
inter-actively defined



SHERLOCK HOLMES-STYLE INFORMATION EXTRACTION

EXAMPLE: NAMED ENTITY RECOGNITION (NER)

Paris Hilton stayed in the Paris Hilton



▪ $|A|=O(klt)$ *linear?*

k: length
l: max
t: num

Although conceptual/theoretical, it doesn't seem to be a severe challenge for a probabilistic database

The problem is not in the amount of alternative annotations!

annotations

	b	e	type	...	wsd
a_1^1	1	1	Person	...	$\{x_1^1 = 1\}$
a_1^2	1	1	City	...	$\{x_1^2 = 1\}$
a_8^1	1	2	Person	...	$\{x_8^1 = 1\}$
...

x_1^1	x_1^2	x_8^1	...
0	1	0	...
0	0.2	0.8	...
1	0.8	0	...
...

6 (I saw one with 5)

$0 * 20 * 6$

6,000 possible annotations



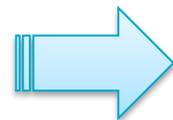
ADDING KNOWLEDGE = CONDITIONING

Paris Hilton stayed in the Paris Hilton

annotations				
	b	e	type	... wsd
a_1^1	1	1	Person	$\{x_1^1 = 1\}$
a_1^2	1	1	City	$\{x_1^2 = 1\}$
a_8^1	1	2	Person	$\{x_8^1 = 1\}$
			...	

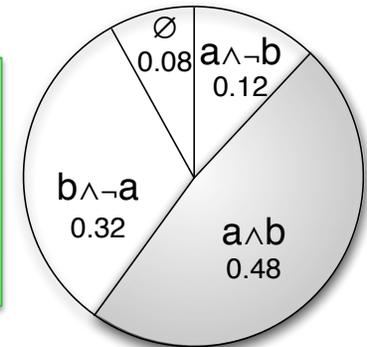


Person --- dnc --- City

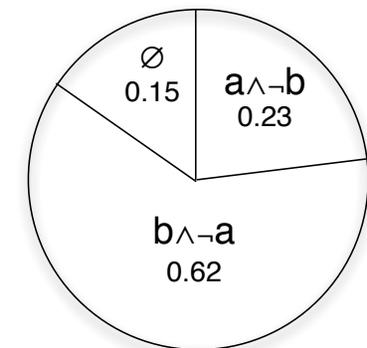


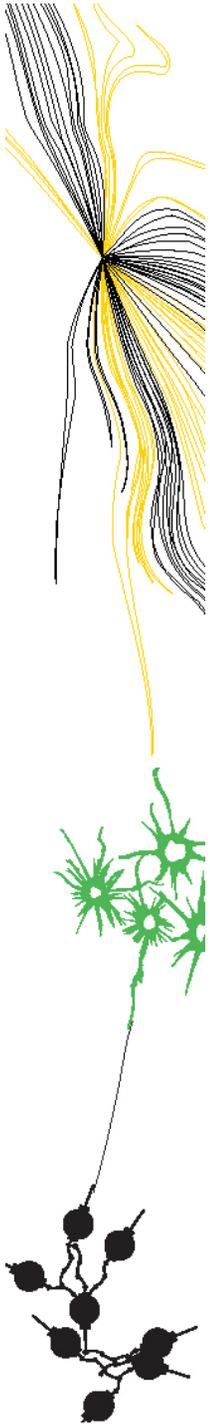
x_1^2 ("Paris" is a City) [a]
 x_8^1 ("Paris Hilton" is a Person) [b]
 become mutually exclusive

a and b
 independent
 $P(a)=0.6$
 $P(b)=0.8$



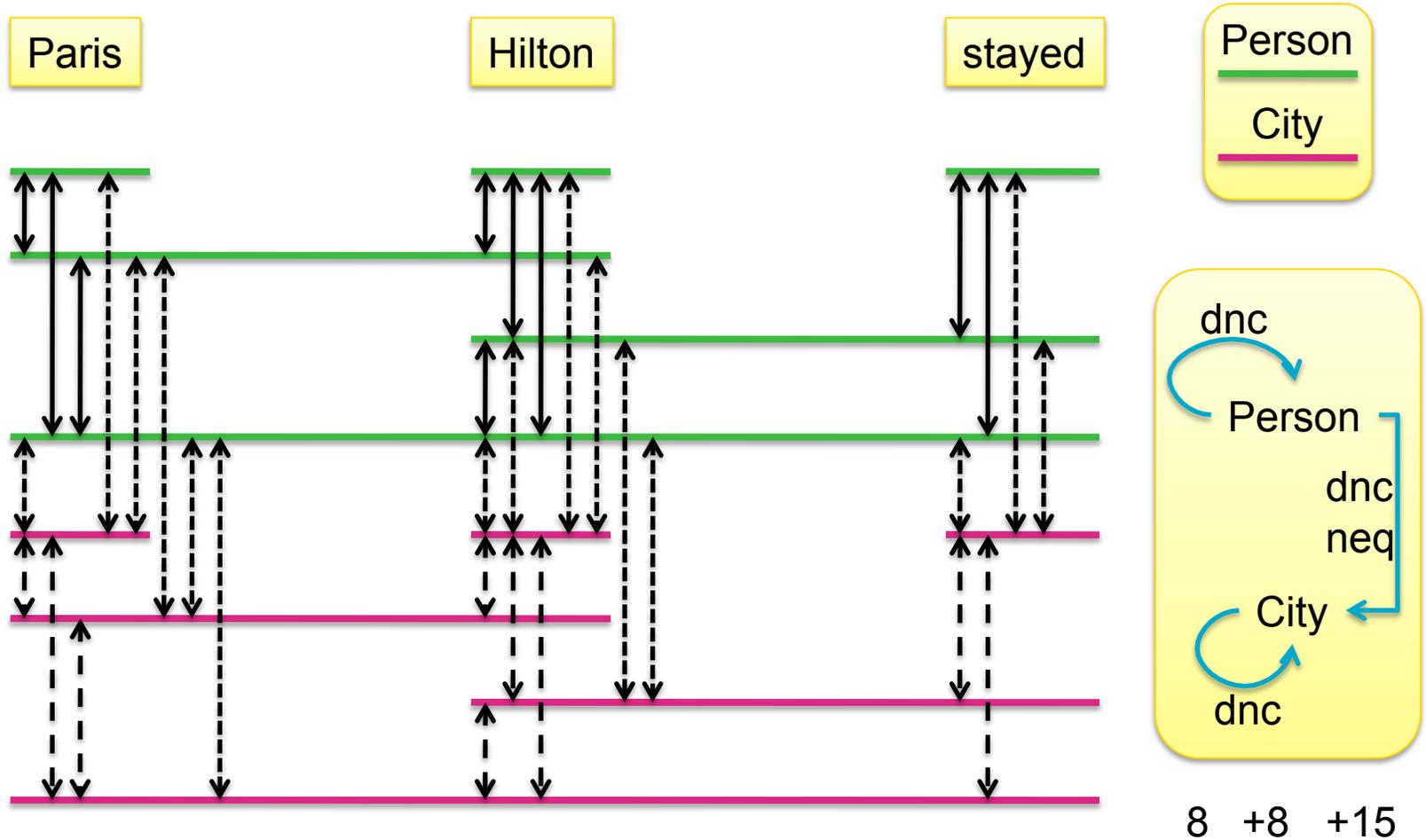
a and b
 mutually
 exclusive
 ($a \wedge b$ is not
 possible)





ADDING KNOWLEDGE CREATES DEPENDENCIES

NUMBER OF DEPS MAGNITUDES IN SIZE SMALLER THAN POSSIBLE COMBINATIONS





PROBLEM AND SOLUTION DIRECTIONS

I'm looking for a scalable approach to reason and redistribute probability mass considering all these dependencies to find the remaining possible interpretations and their probabilities

- Feasibility approach hinges on efficient representation and conditioning of probabilistic dependencies
- Solution directions (in my own field):
 - Koch et al VLDB 2008 (Conditioning in MayBMS)
 - Getoor et al VLDB 2008 (Shared correlations)
- This is not about only learning a joint probability distribution. Here I'd like to estimate a joint probability distribution based on initial independent observations and then batch-by-batch add constraints/dependencies and recalculate
- Techniques out there that fit this problem?

Questions / Suggestions?